

**Department of Communications
Engineering**

Communication Systems

Third Year Class

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Lecture 13

Super heterodyne Receivers II

* If we need to receive only one station, homodyne receiver is excellent.

* If we need to design a radio station receiver that operates in the frequency band of

$$108 \text{ MHz} - 88 \text{ MHz} = 20 \text{ MHz}$$

with a channel spacing of 200 kHz

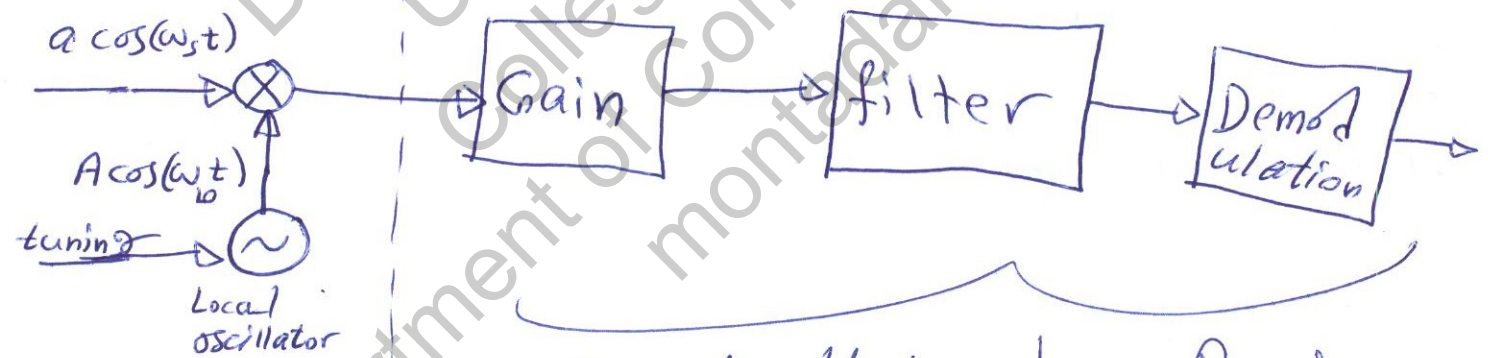
$$\therefore \text{There will be } \frac{20 \times 10^6}{200 \times 10^3} = 100 \text{ channels !!!}$$

* in other words, we need to design a homodyne FM radio receiver with 100 homodyne internal receivers !!!

There are important problems in such receiver design

- ① cost
- ② size
- ③ power

- * Edwin Howard Armstrong (during world war in 1918) invented a radio receiver that is widely used even in our days.
- * Armstrong's device called super-heterodyne receiver.
- * Armstrong suggested not to change the hardware (chanallized receiver radio), instead, changing the local oscillator frequency.



Fixed Heterodyne Receiver

IF-Stage

$$F_{IF} = |f_s - f_{LO}|$$

* For instance, we need to receive a station transmits at 103.3 MHz, then we tune the local oscillator to $103.3 - f_{IF}$, let $f_{IF} = 10.7 \text{ MHz}$, then we tune the local oscillator to $103.3 - 10.7 = 92.6 \text{ MHz}$

Thus $|f_s - f_{LO}| = f_{IF}$ must satisfied in down conversion

Hence

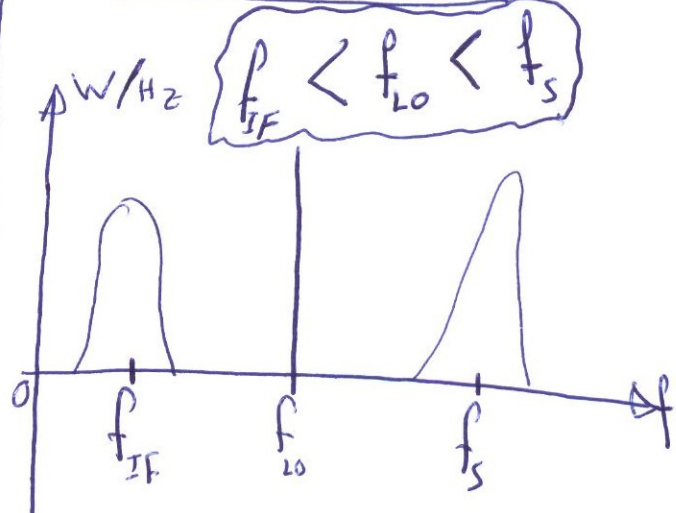
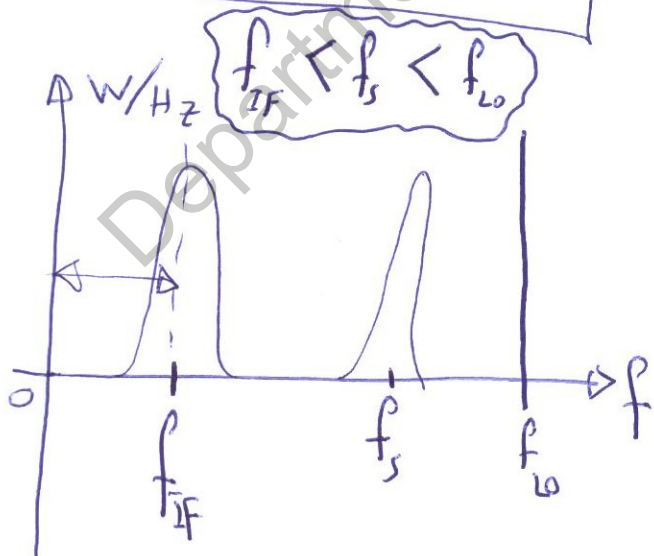
$$f_s - f_{LO} = \pm f_{IF}$$

OR

$$f_{LO} = f_s + f_{IF}$$

OR

$$f_{LO} = f_s - f_{IF}$$



* Consider the FM band with IF frequency $f_{IF} = 30 \text{ MHz}$,
the FM band extend from 88 MHz to 108 MHz or

$$88 \text{ MHz} \leq f_s \leq 108 \text{ MHz}$$

Hence, Local oscillator bandwidth for high conversion
must be 30 MHz higher than RF Bandwidth

$$88 \text{ MHz} + f_{IF} < f_{LO} < 108 + f_{IF}$$

$$118 \text{ MHz} < f_{LO} < 138 \text{ MHz}$$

While, for low side conversion, the Local oscillator
bandwidth is

$$88 \text{ MHz} - f_{IF} < f_{LO} < 108 \text{ MHz} - f_{IF}$$

$$58 \text{ MHz} < f_{LO} < 78 \text{ MHz}$$

* If we choose low-side tuning, LO operates at lower frequency, then we get

① Lower cost ② better output power

③ Less phase-noise ④ frequency accuracy is better.

* If we select high-side tuning, LO bandwidth would be very high compared with low-side tuning, and generally, less bandwidth is better.

* In practice, mixers are implemented such as this equation

$$y(x) = x^3 + x^2 + x + c \quad \text{and maybe higher order.}$$

* Then, the input, which is x , maybe $\cos(\omega_1 t) + \cos(\omega_2 t)$

$$\begin{aligned} \text{then } y(x) &= (\cos(\omega_1 t) + \cos(\omega_2 t))^3 + (\cos(\omega_1 t) + \cos(\omega_2 t))^2 \\ &\quad + \cos(\omega_1 t) + \cos(\omega_2 t) + c \end{aligned}$$

* Then we have 1st, 2nd, and 3rd orders of products, and maybe higher.

* For Third order product ^① $|2f_{RF} - f_{LO}|$

$$|2f_{RF} - f_{LO}| = f_{IF}$$

for example : $f_{LO} = 130 \text{ MHz}$
 $f_{IF} = 30 \text{ MHz}$

$$\therefore |2f_{RF} - 130| = 30$$

$$2f_{RF} - 130 = \pm 30$$

$$2f_{RF} = 130 \pm 30$$

$$f_{RF} = \frac{130 \pm 30}{2} = 50 \text{ OR } 80 \text{ [MHz]}$$

in other words, if we need to listen to a radio station at 100 MHz, then stations at 50 MHz and 80 MHz also appear !!!

$$|2f_{RF} - 130| \Rightarrow |2 \times 50 - 130| = 30 \quad \& \quad |2 \times 80 - 130| = 30$$

$$* \textcircled{2} |2F_{LO} - F_{RF}| = F_{IF}$$

assume $F_{IF} = 30 \text{ MHz}$, $F_{LO} = 130 \text{ MHz}$, then

$$|2F_{LO} - F_{RF}| = F_{IF} \Rightarrow |2(130) - F_{RF}| = 30$$

$$F_{RF} = 260 \mp 30 = 290 \text{ OR } 230 \text{ [MHz]}$$

$$* \text{ Also } \textcircled{3} |2F_{LO} + F_{RF}| = F_{IF} \quad \left. \begin{array}{l} \text{Gives negative} \\ \text{frequency! ignore} \end{array} \right\}$$

$$* \textcircled{4} |2F_{RF} + F_{LO}| = F_{IF} \quad \left. \begin{array}{l} \text{Gives negative frequency} \\ \text{ignore} \end{array} \right\}$$

$$* \textcircled{5} 3F_{RF} = F_{IF} \Rightarrow F_{RF} = 10 \text{ MHz}$$

* For Second order terms:

$$\textcircled{1} |F_{LO} - F_{RF}| = F_{IF} \Rightarrow 100 \text{ \& } 160 \text{ MHz for the same example}$$

$$\textcircled{2} |F_{LO} + F_{RF}| = F_{IF} \Rightarrow \text{gives negative frequency. Ignore}$$

$$\textcircled{3} 2F_{RF} = F_{IF} \Rightarrow F_{RF} = 15 \text{ MHz for the same example above}$$

* For First Order terms:

* there is only $f_{RF} = f_{IF} = 30$ for the same example above.

As a conclusion, if we need to listen to a radio station at 100 MHz with $f_{IF} = 30$ MHz then we will listen to all the stations at frequencies

- 30 MHz, 15 MHz, 160 MHz, 10 MHz, 50 MHz, 80 MHz
 - 230 MHz, 290 MHz
- 1st order terms 2nd order terms 3rd order terms

So, Can We Listen

to our Station or

NO?

Yes, by inserting a pre-selector filter between the antenna and the mixer ☺